

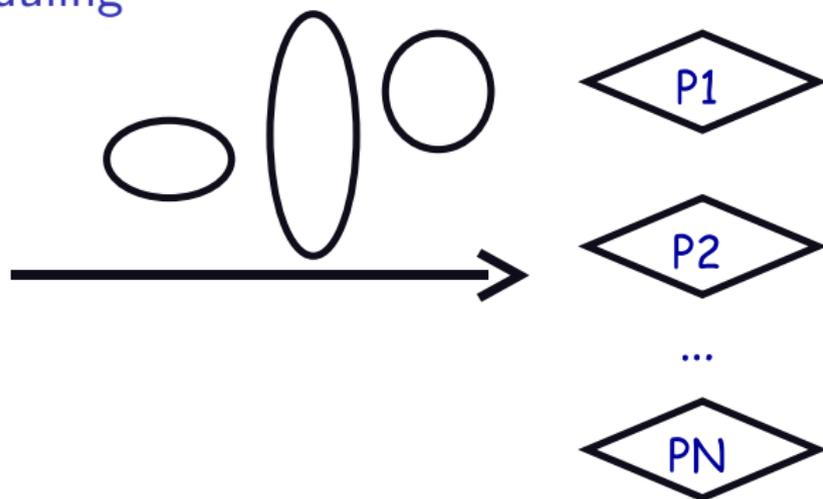
# CPU Scheduling

## Operating System Design – MOSIG 1

Instructor: Arnaud Legrand  
Class Assistants: Benjamin Negrevergne, Sascha Hunold

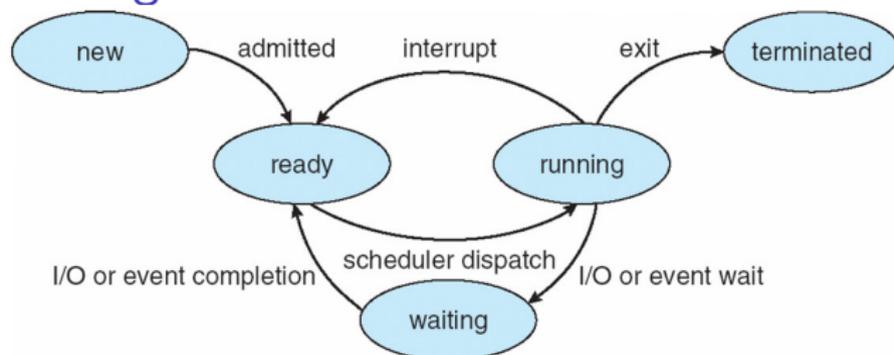
November 16, 2010

# CPU Scheduling



- ▶ **The scheduling problem:**
  - ▶ Have  $K$  jobs ready to run
  - ▶ Have  $N \geq 1$  CPUs
  - ▶ Which jobs to assign to which CPU(s)
- ▶ **When do we make decision?**

# CPU Scheduling



- ▶ **Scheduling decisions may take place when a process:**
  1. Switches from running to waiting state
  2. Switches from running to ready state
  3. Switches from waiting to ready
  4. Exits
- ▶ **Non-preemptive schedules use 1 & 4 only**
- ▶ **Preemptive schedulers run at all four points**

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**Turnaround Time/Response Time/Flow** (min) amount of time it takes between the task arrival and its completion.

**Waiting Time** (min) amount of time spent waiting for being executed.

**Slowdown/Stretch** (min) slowdown factor encountered by a task relative to the time it would take on an unloaded system.

The previous quantities are task- or CPU-centric and need to be aggregated into a single objective function.

- ▶ max (the worst case)
- ▶ average: arithmetic (i.e. sum) or something else...
- ▶ variance (to be “fair” between the tasks).

# Criteria: Classical Definitions

A given task  $T_i$  is defined by:

- ▶ processing time  $p_i$
- ▶ (number of required processors  $q_i$ )
- ▶ release date  $r_i$
- ▶ (deadline  $d_i$ )

Then, depending on the scheduling decision, we obtain its completion time  $C_i$

## Completion Time

- ▶ Makespan:  $C_{\max} = \max_j C_j$

This metric is relevant when scheduling a *single* application (made of several synchronized process).

- ▶ Total (or average) Completion Time:  $SC = \sum_j C_j$

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## Response Time

$$F_i = C_i - r_i$$

- ▶ Maximum Flow Time:  $F_{\max} = \max_i F_i$
- ▶ Total Completion Time:  $SF = \sum_i F_i = SC - \sum_i r_i$

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## Waiting Time

$$W_i = C_i - r_i - p_i$$

- ▶ Maximum Waiting time:  $W_{\max} = \max_i W_i$
- ▶ Total Waiting Time:  $SW = \sum_i W_i = SF - \sum_i p_i$

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## Slowdown

$$S_i = \frac{C_i - r_i}{p_i}$$

- ▶ Maximum Stretch:  $S_{\max} = \max_i S_i$
- ▶ Total Stretch:  $SS = \sum_i S_i$

# Outline

Optimizing largest response time

Optimizing throughput

Optimizing average response time

Avoiding starvation

Coming up with a compromise

Recap

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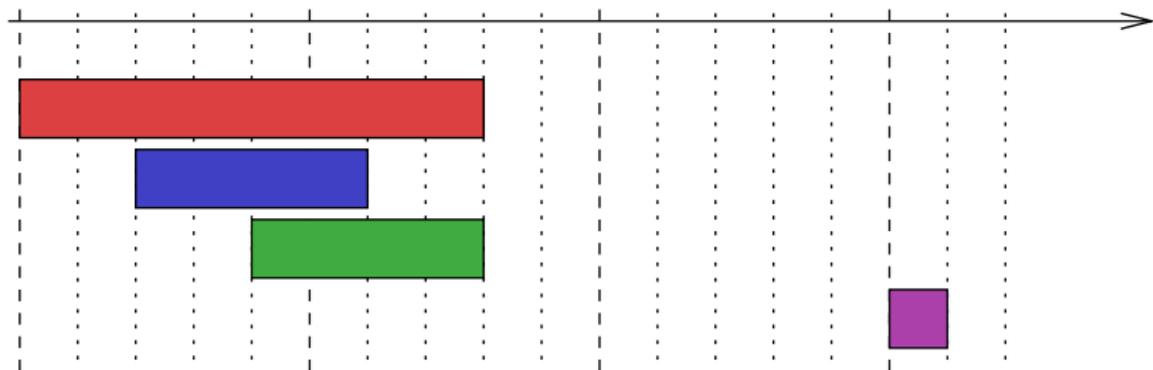
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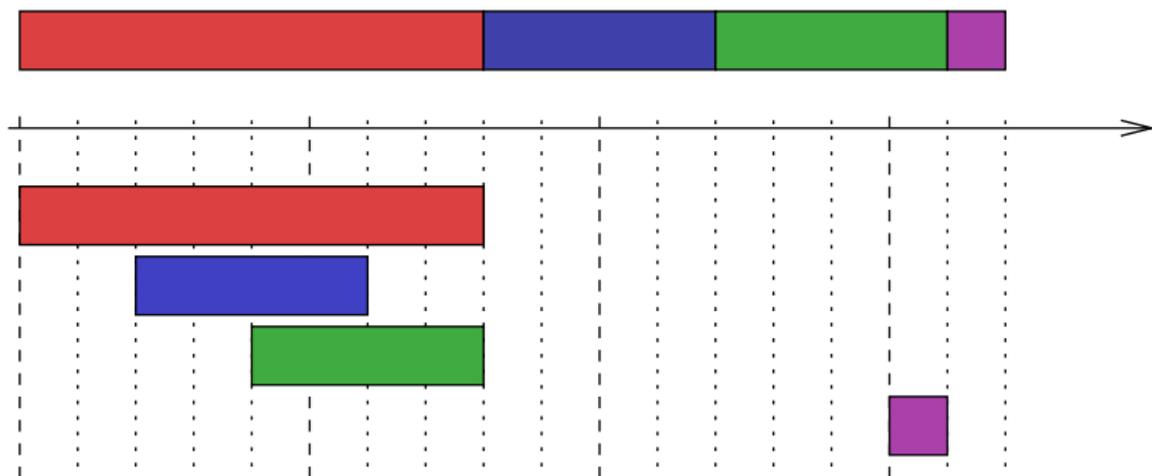
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We wish to find a schedule (possibly using preemption) that has the smallest possible max flow ( $\max_i C_i - r_i$ ).



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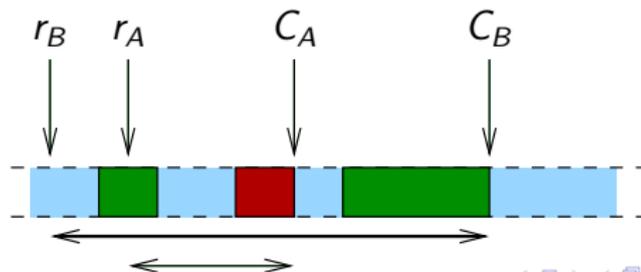


First-Come First-Served seems to be optimal.

# FCFS is optimal: sketch of the proof

## Proof:

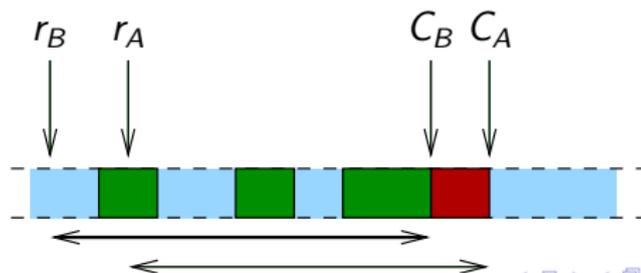
- ▶ Let us consider an optimal schedule  $\sigma$ . Let us assume that there are two jobs  $A$  and  $B$  that are not scheduled according to the FCFS policy, i.e.  $r_B < r_A$  and  $C_A < C_B$ .



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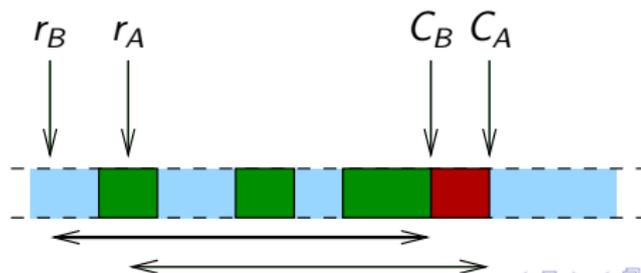
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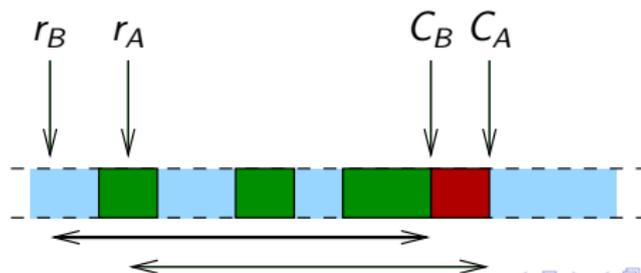
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We do not even need to preempt jobs! Note that when you have *more than one processor*, things are more complicated:

**Bad News** NP-complete with no preemption.

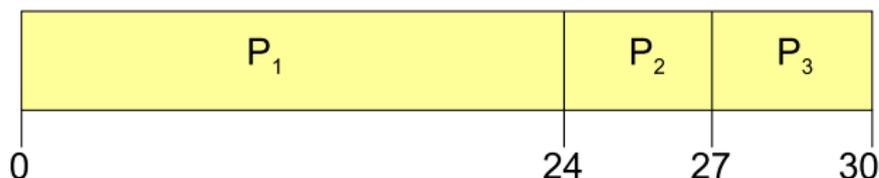
**Good news** Polynomial algorithm with preemption but it is much more complicated than FCFS.

## FCFS: other criteria

- ▶ The FCFS scheduling policy is non-clairvoyant, easy to implement, and does not use preemption.
- ▶ The FCFS policy is optimal for minimizing  $\max F_i$ . It minimizes the “response time”!

Yet, would you say it is “reactive” ?

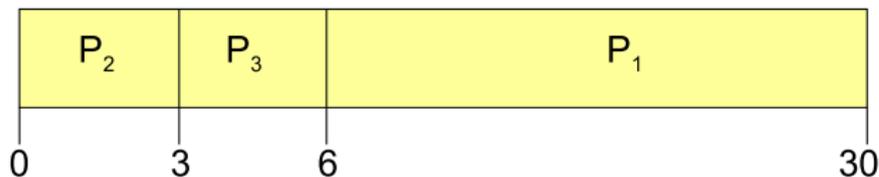
- ▶ Run jobs in order that they arrive
  - ▶ E.g., Say  $P_1$  needs 24 sec, while  $P_2$  and  $P_3$  need 3.
  - ▶ Say  $P_2, P_3$  arrived immediately after  $P_1$ , get:



- ▶ Throughput: 3 jobs / 30 sec = 0.1 jobs/sec
- ▶ Turnaround Time:  $P_1 : 24, P_2 : 27, P_3 : 30$ 
  - ▶ Average TT:  $(24 + 27 + 30)/3 = 27$
- ▶ Can we do better?

## FCFS continued

- ▶ We would accept to sacrifice some jobs to get something more “reactive”.
- ▶ Suppose we scheduled  $P_2$ ,  $P_3$ , then  $P_1$ 
  - ▶ Would get:



- ▶ **Throughput: 3 jobs / 30 sec = 0.1 jobs/sec**
- ▶ **Turnaround time:  $P_1 : 30$ ,  $P_2 : 3$ ,  $P_3 : 6$** 
  - ▶ Average TT:  $(30 + 3 + 6)/3 = 13$  – much less than 27
- ▶ **Lesson: scheduling algorithm can reduce TT**
- ▶ **What about throughput?**

# Outline

Optimizing largest response time

**Optimizing throughput**

Optimizing average response time

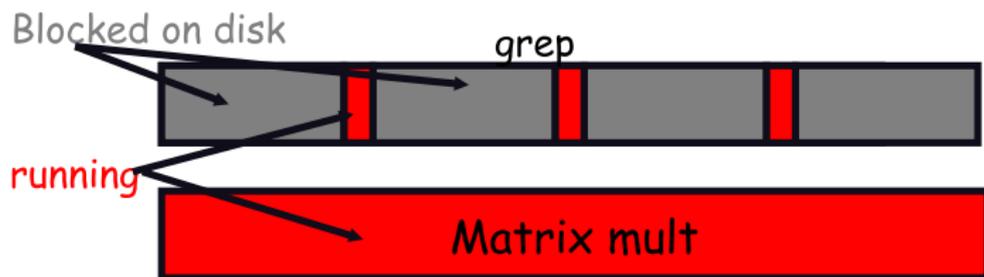
Avoiding starvation

Coming up with a compromise

Recap

## View CPU and I/O devices the same

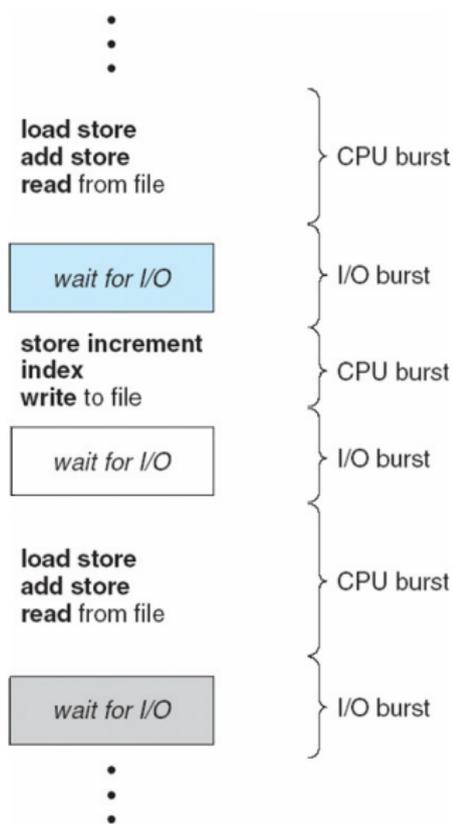
- ▶ **CPU is one of several devices needed by users' jobs**
  - ▶ CPU runs compute jobs, Disk drive runs disk jobs, etc.
  - ▶ With network, part of job may run on remote CPU
- ▶ **Scheduling 1-CPU system with  $n$  I/O devices like scheduling asymmetric  $n + 1$ -CPU multiprocessor**
  - ▶ Result: all I/O devices + CPU busy  $\implies$   $n+1$  fold speedup!



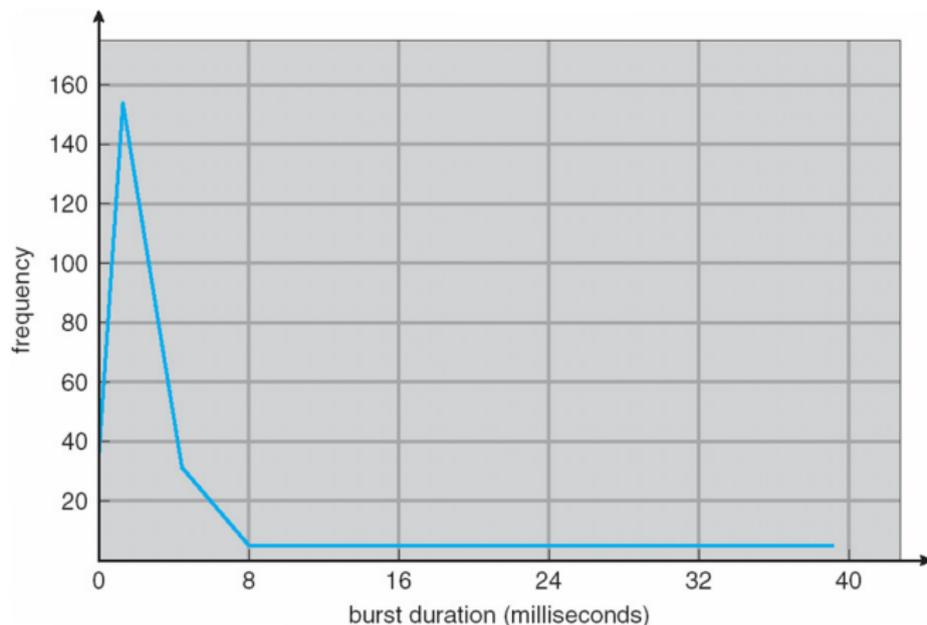
- ▶ Overlap them just right? throughput will be almost doubled

# Bursts of computation & I/O

- ▶ **Jobs contain I/O and computation**
  - ▶ Bursts of computation
  - ▶ Then must wait for I/O
- ▶ **To Maximize throughput**
  - ▶ Must maximize CPU utilization
  - ▶ Also maximize I/O device utilization
- ▶ **How to do?**
  - ▶ Overlap I/O & computation from multiple jobs
  - ▶ **Means response time very important for I/O-intensive jobs:** I/O device will be idle until job gets small amount of CPU to issue next I/O request



# Histogram of CPU-burst times



- ▶ **What does this mean for FCFS?**

# FCFS Convoy effect

- ▶ **CPU bound jobs will hold CPU until exit or I/O (but I/O rare for CPU-bound thread)**
  - ▶ long periods where no I/O requests issued, and CPU held
  - ▶ Result: poor I/O device utilization
- ▶ **Example: one CPU-bound job, many I/O bound**
  - ▶ CPU bound runs (I/O devices idle)
  - ▶ CPU bound blocks
  - ▶ I/O bound job(s) run, quickly block on I/O
  - ▶ CPU bound runs again
  - ▶ I/O completes
  - ▶ CPU bound job continues while I/O devices idle
- ▶ **Simple hack: run process whose I/O completed?**
  - ▶ What is a potential problem?

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**Optimizing average response time**

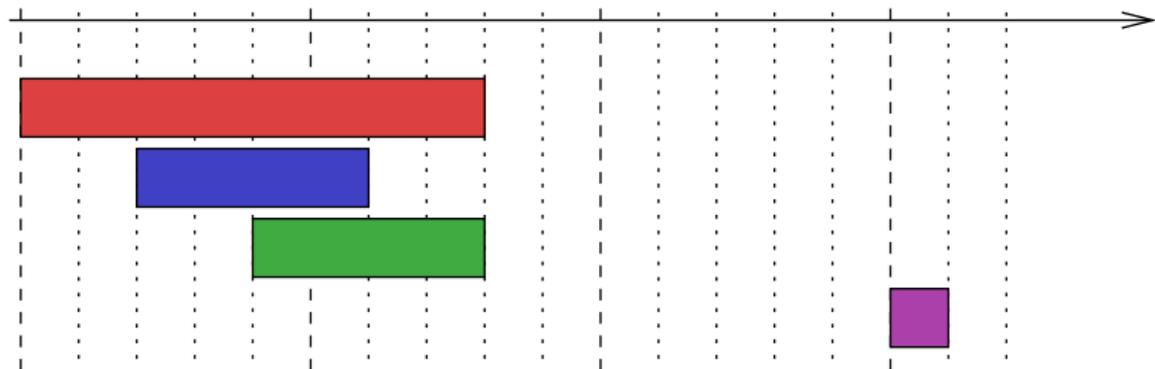
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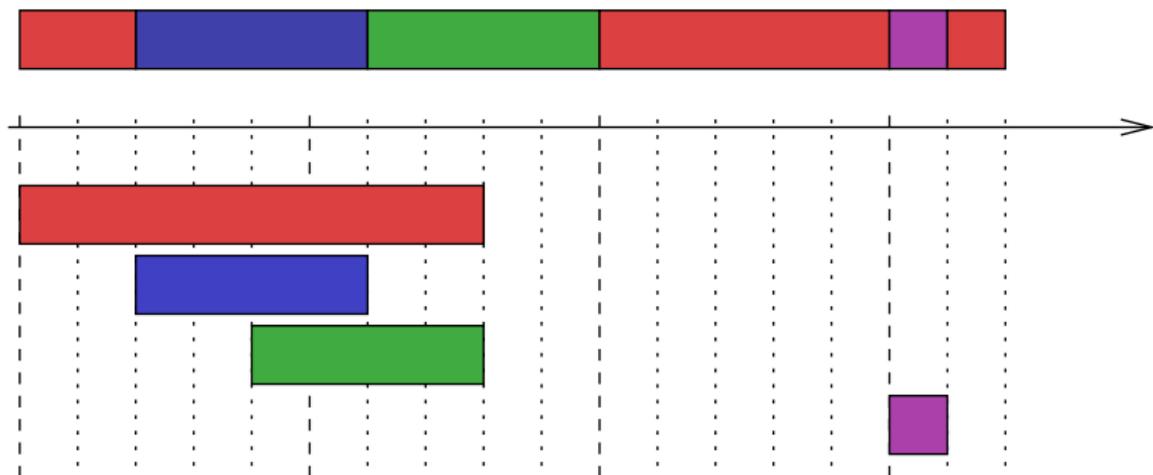
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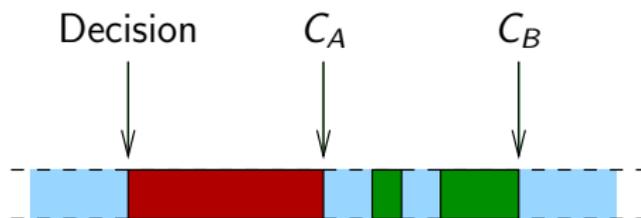
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Shortest Remaining Processing Timer first seems to be optimal.

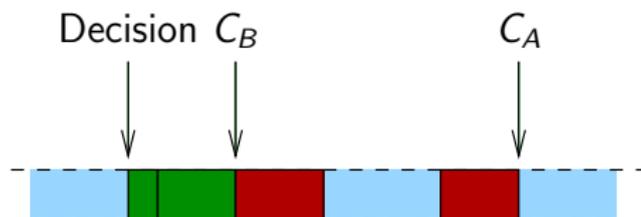
## SRPT is optimal: sketch of the proof

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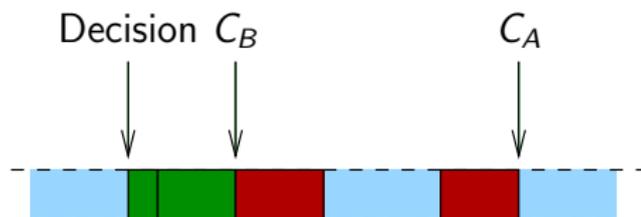
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Here, preemption is required!

**Bad News** NP-complete for multiple processors or with no preemption.

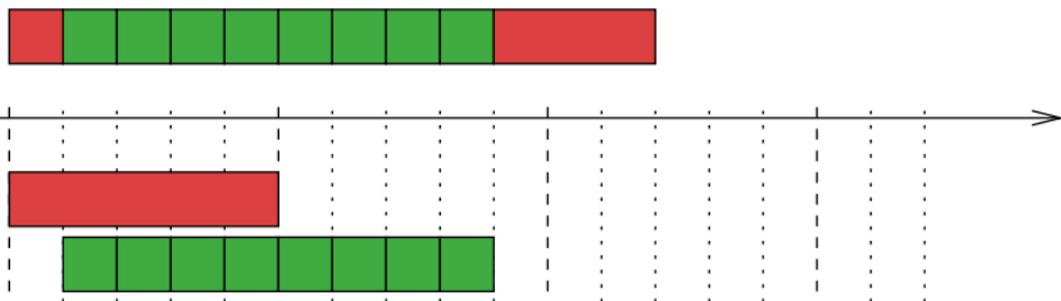
**Good News** Algorithm with logarithmic competitive ratio on multiple processors exists.

# Comments

- ▶ Scheduling small jobs first is good for “reactivity” but it requires to know the size of the jobs (i.e. clairvoyant).
- ▶ Scheduling small jobs first is good for the average response time but some jobs may be left behind. . .

# Comments

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- ▶ Scheduling small jobs first is good for the average response time but large jobs may be left behind...



- ▶ Do you know an algorithm where job cannot starve?

## FCFS is $\Delta$ -competitive for $\sum F_i$

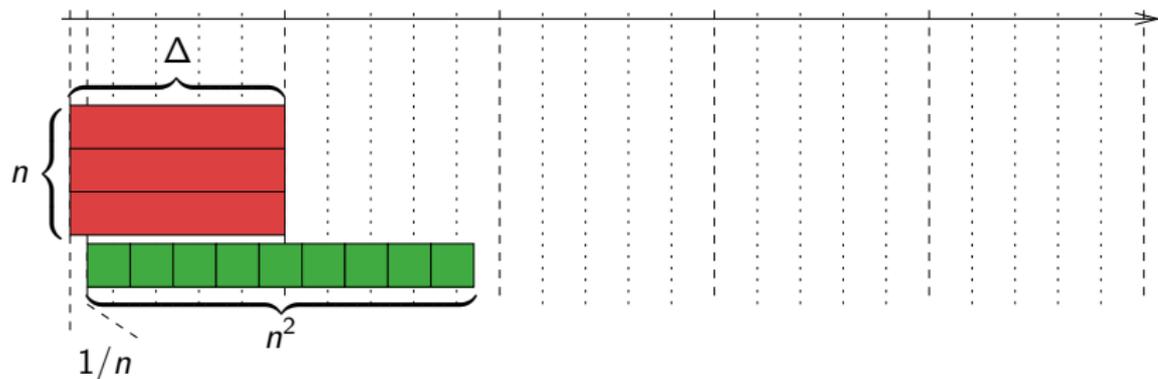
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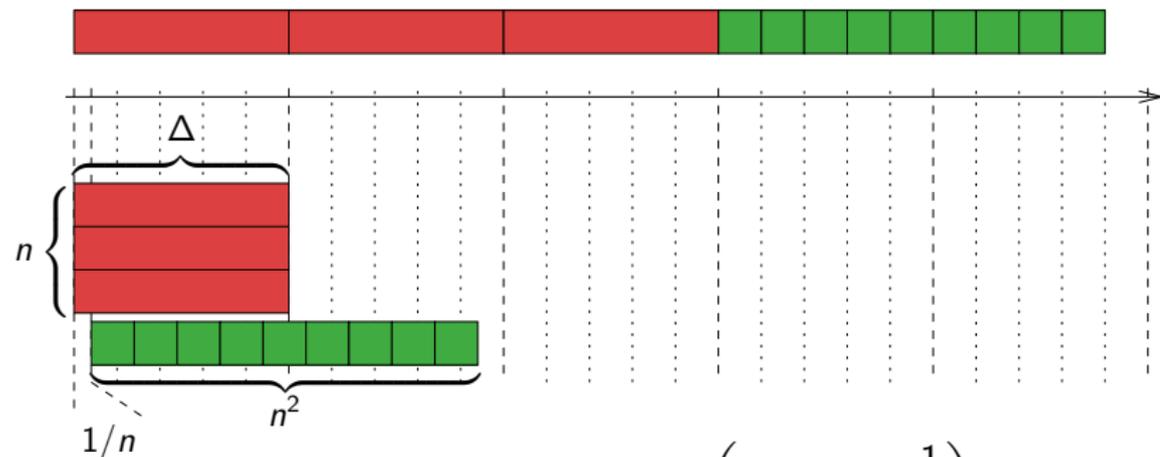
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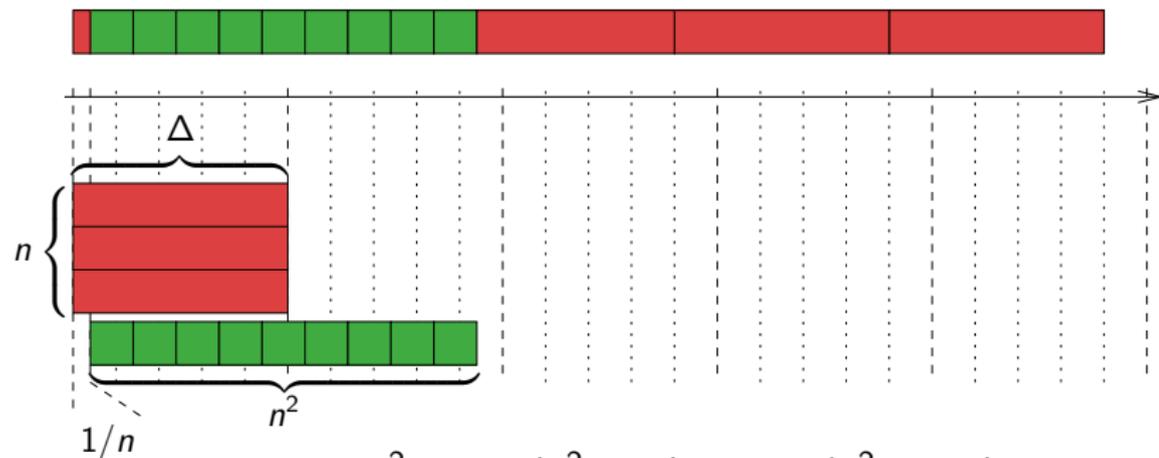


$$\begin{aligned} SF_{FCFS} &= \Delta + \dots + n\Delta + n^2 \left( 1 + n\Delta - \frac{1}{n} \right) \\ &= \frac{2n^3\Delta + n^2(2 + \Delta) + n(\Delta - 2)}{2} \end{aligned}$$

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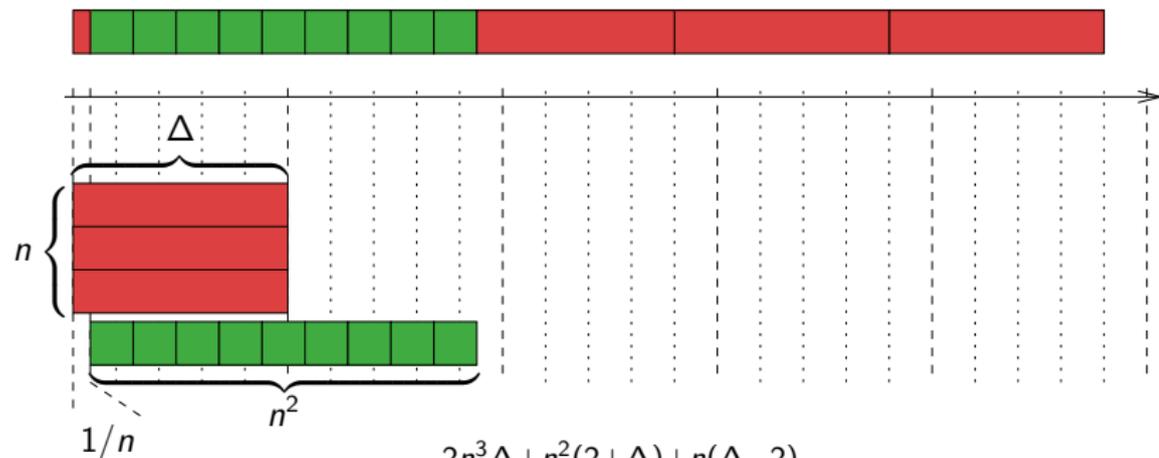


$$\begin{aligned} SF_{SRPT} &= n^2 \times 1 + (n^2 + \Delta) + \dots + (n^2 + n\Delta) \\ &= n^3 + n^2 + \frac{n(n+1)}{2} \Delta \end{aligned}$$

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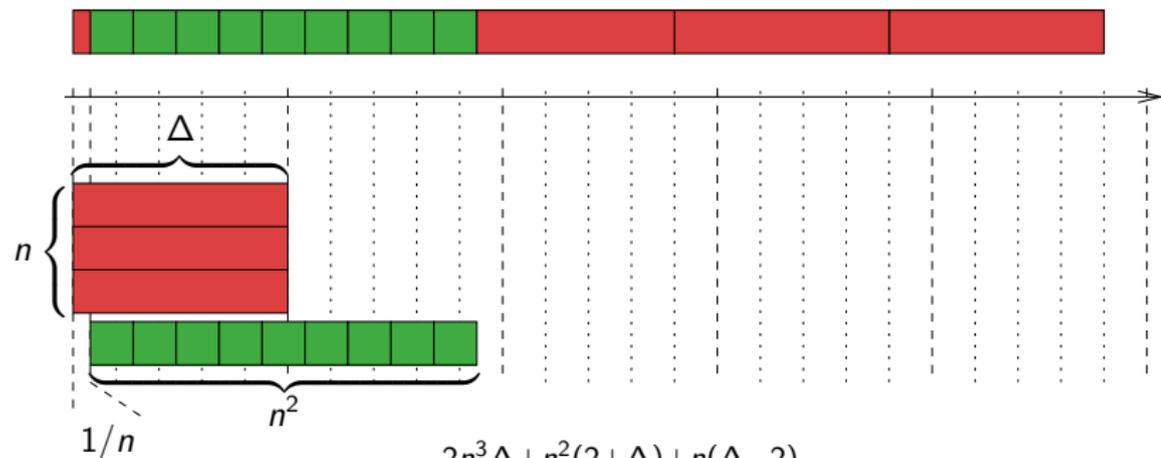


$$\begin{aligned}
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FCFS is at exactly  $\Delta$ -competitive.

# Optimizing the average response time with no starvation?

## Theorem

*Consider any online algorithm whose competitive ratio for average flow minimization satisfies  $\rho(\Delta) < \Delta$ .*

*There exists for this algorithm a sequence of jobs leading to starvation, and for which the maximum flow can be as far as we want from the optimal maximum flow.*

The starvation issue is inherent to the optimization of the average response time.

Still, we would like something “reactive” and we like the idea that short jobs have a higher priority.

## Recap SJF/SRPT limitations

- ▶ **The previous analysis relies on a model (i.e. a simplification of reality) and is thus limited.**
- ▶ **Actually, in practice, doesn't always minimize average turnaround time**
  - ▶ Example where turnaround time might be suboptimal?

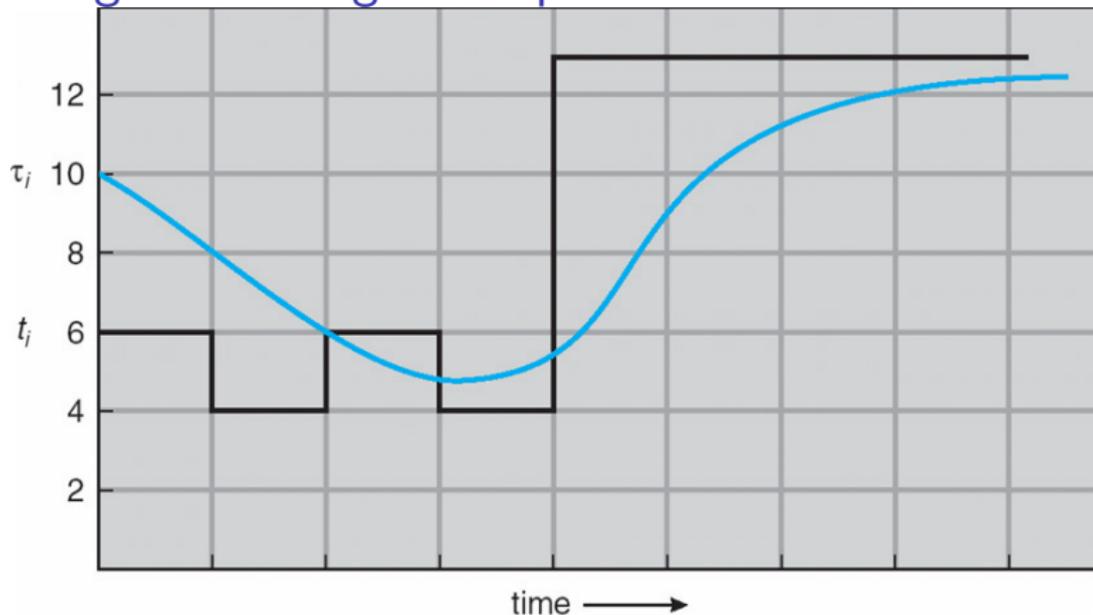
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If applications are made of jobs/tasks that have dependencies (synchronizations), if more than 1 CPU, ...
- ▶ **Can lead to unfairness or starvation**
- ▶ **In practice, can't actually predict the future**
- ▶ **But can estimate CPU burst length based on past**
  - ▶ Exponentially weighted average a good idea
  - ▶  $t_n$  actual length of proc's  $n^{\text{th}}$  CPU burst
  - ▶  $\tau_{n+1}$  estimated length of proc's  $n + 1^{\text{st}}$
  - ▶ Choose parameter  $\alpha$  where  $0 < \alpha \leq 1$
  - ▶ Let  $\tau_{n+1} = \alpha t_n + (1 - \alpha)\tau_n$

# Exp. weighted average example



CPU burst ( $t_i$ )	6	4	6	4	13	13	13	...	
"guess" ( $\tau_i$ )	10	8	6	6	5	9	11	12	...

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Optimizing average response time

**Avoiding starvation**

Coming up with a compromise

Recap

# Round robin (RR) scheduling



- ▶ **Solution to fairness and starvation**
  - ▶ Preempt job after some time slice or *quantum*
  - ▶ When preempted, move to back of FIFO queue
  - ▶ (Most systems do some flavor of this)
- ▶ **Advantages:**
  - ▶ Fair allocation of CPU across jobs
  - ▶ Low average waiting time when job lengths vary
  - ▶ Good for responsiveness if small number of jobs
- ▶ **Disadvantages?**

## RR disadvantages

- ▶ Varying sized jobs are good  
... but what about same-sized jobs?
- ▶ Assume 2 jobs of time=100 each:



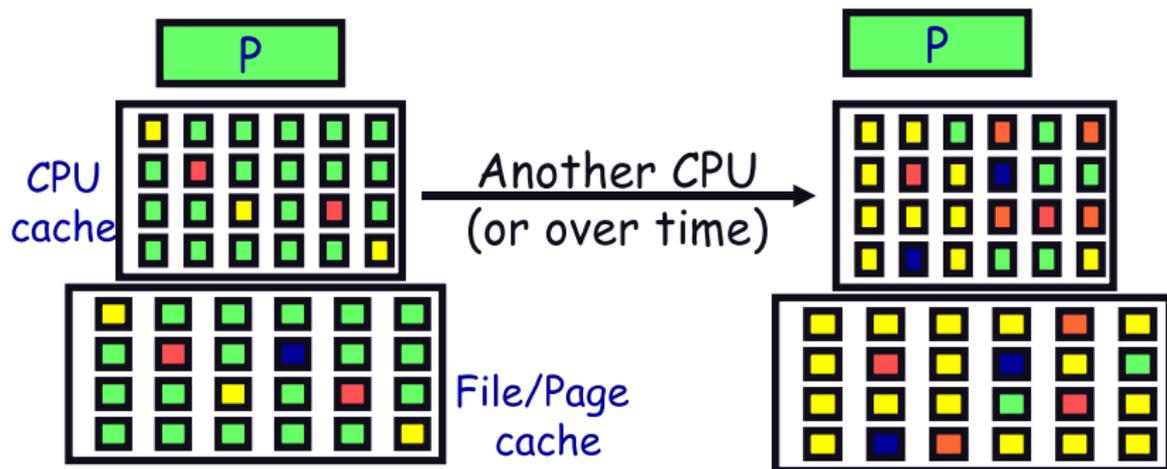
- ▶ What is average completion time?
- ▶ How does that compare to FCFS?
- ▶ In the previous algorithms (FCFS, SRPT), we have never produced a schedule with ...A...B...A...B.... Intuitively alternating jobs is not a good idea for minimizing completion time.
- ▶ Preemption should not be blindly used to ensure fairness. It should help to deal with the online non-clairvoyant setting.

## Context switch costs

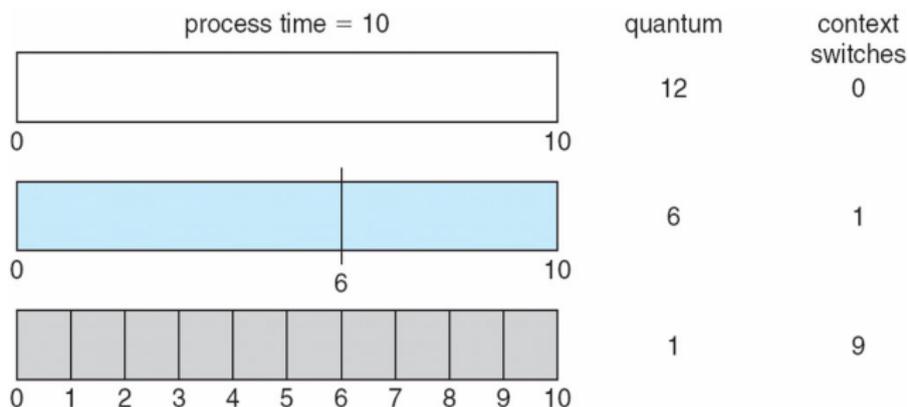
- ▶ **What is the cost of a context switch? (recall from previous lectures)**

## Context switch costs

- ▶ **What is the cost of a context switch?** (recall from previous lectures)
- ▶ **Brute CPU time cost in kernel**
  - ▶ Save and restore registers, etc.
  - ▶ Switch address spaces (expensive instructions)
- ▶ **Indirect costs: cache, buffer cache, & TLB misses**



# Time quantum

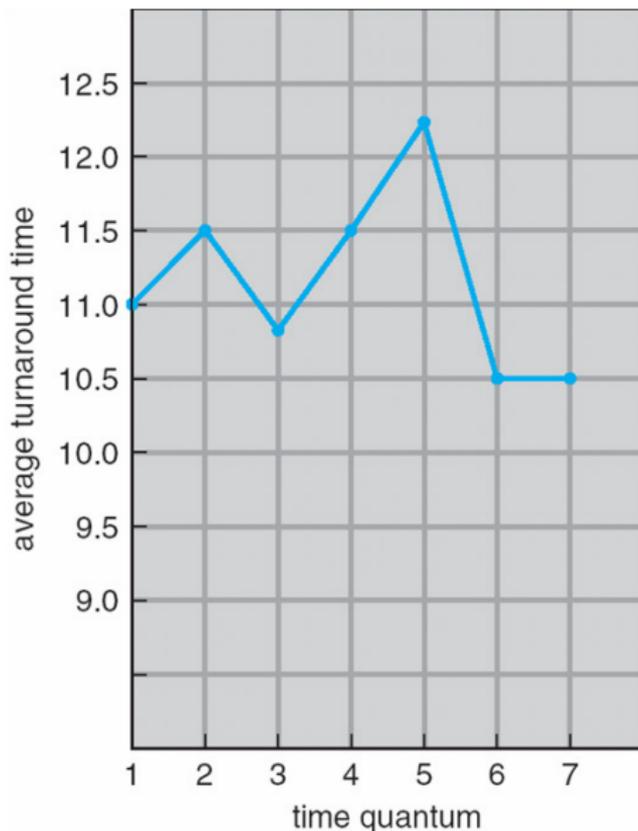


## ▶ How to pick quantum?

- ▶ Want much larger than context switch cost
- ▶ Majority of bursts should be less than quantum
- ▶ But not so large system reverts to FCFS

## ▶ Typical values: 10–100 msec

# Turnaround time vs. quantum



process	time
$P_1$	6
$P_2$	3
$P_3$	1
$P_4$	7

# Two-level scheduling

- ▶ **Switching to swapped out process very expensive**
  - ▶ Swapped out process has most pages on disk
  - ▶ Will have to fault them all in while running
  - ▶ One disk access costs  $\sim 10\text{ms}$ . On 1GHz machine,  $10\text{ms} = 10$  million cycles!
- ▶ **Context-switch-cost aware scheduling**
  - ▶ Run in-core subset for “a while”
  - ▶ Then swap some between disk and memory
- ▶ **How to pick subset? How to define “a while”?**
  - ▶ View as scheduling *memory* before CPU
  - ▶ Swapping in process is cost of memory “context switch”
  - ▶ So want “memory quantum” much larger than swapping cost

# Outline

Optimizing largest response time

Optimizing throughput

Optimizing average response time

Avoiding starvation

**Coming up with a compromise**

Recap

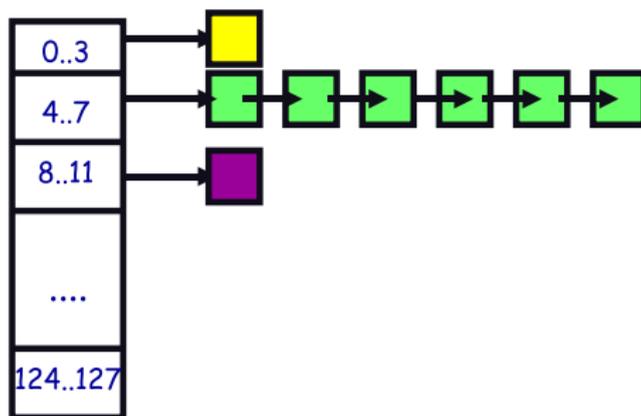
# Priority scheduling

- ▶ **Associate a numeric priority with each process**
  - ▶ E.g., smaller number means higher priority (Unix/BSD)
  - ▶ Or smaller number means lower priority (Pintos)
- ▶ **Give CPU to the process with highest priority**
  - ▶ Can be done preemptively or non-preemptively
- ▶ **Note SJF is a priority scheduling where priority is the predicted next CPU burst time**
- ▶ **Starvation – low priority processes may never execute**
- ▶ **Solution?**

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- ▶ **Starvation – low priority processes may never execute**
- ▶ **Solution?**
  - ▶ Aging - increase a process's priority as it waits

# Multilevel feedback queues (BSD)



- ▶ **Every runnable process on one of 32 run queues**
  - ▶ Kernel runs process on highest-priority non-empty queue
  - ▶ Round-robins among processes on same queue
- ▶ **Process priorities dynamically computed**
  - ▶ Processes moved between queues to reflect priority changes
  - ▶ If a process gets higher priority than running process, run it
- ▶ **Idea: Favor interactive jobs that use less CPU**

# Process priority

- ▶ **p\_nice** – user-settable weighting factor
- ▶ **p\_estcpu** – per-process estimated CPU usage
  - ▶ Incremented whenever timer interrupt found proc. running
  - ▶ Decayed every second while process runnable

$$p\_estcpu \leftarrow \left( \frac{2 \cdot \text{load}}{2 \cdot \text{load} + 1} \right) p\_estcpu + p\_nice$$

- ▶ Load is sampled average of length of run queue plus short-term sleep queue over last minute
- ▶ **Run queue determined by**  $p\_usrpri/4$

$$p\_usrpri \leftarrow 50 + \left( \frac{p\_estcpu}{4} \right) + 2 \cdot p\_nice$$

**(value clipped if over 127)**

## Sleeping process increases priority

- ▶ **p\_estcpu not updated while asleep**
  - ▶ Instead p\_slptime keeps count of sleep time
- ▶ **When process becomes runnable**

$$p\_estcpu \leftarrow \left( \frac{2 \cdot load}{2 \cdot load + 1} \right)^{p\_slptime} \times p\_estcpu$$

- ▶ Approximates decay ignoring nice and past loads
- ▶ **These are ugly hacks.**
  - ▶ The BSD time quantum: 1/10 sec (since ~1980)
  - ▶ Empirically longest tolerable latency
  - ▶ Computers now faster, but job queues also shorter

# Limitations of BSD scheduler

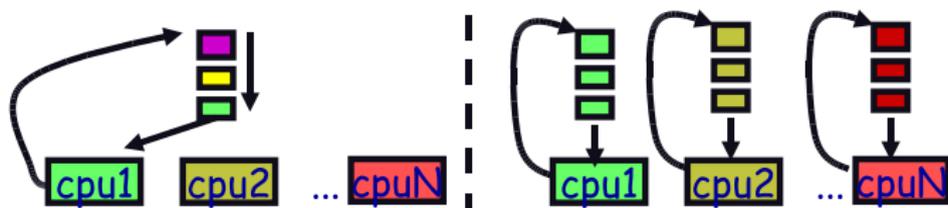
- ▶ **Hard to have isolation / prevent interference**
  - ▶ Priorities are absolute
- ▶ **Can't donate priority (e.g., to server on RPC)**
- ▶ **No flexible control**
  - ▶ E.g., In monte carlo simulations, error is  $1/\sqrt{N}$  after N trials
  - ▶ Want to get quick estimate from new computation
  - ▶ Leave a bunch running for a while to get more accurate results
- ▶ **Multimedia applications**
  - ▶ Often fall back to degraded quality levels depending on resources
  - ▶ Want to control quality of different streams

# Real-time scheduling

- ▶ **Two categories:**
  - ▶ *Soft real time*—miss deadline and CD will sound funny
  - ▶ *Hard real time*—miss deadline and plane will crash
- ▶ **System must handle periodic and aperiodic events**
  - ▶ E.g., procs A, B, C must be scheduled every 100, 200, 500 msec, require 50, 30, 100 msec respectively
  - ▶ *Schedulable* if  $\sum \frac{CPU}{\text{period}} \leq 1$  (not counting switch time)
- ▶ **Variety of scheduling strategies**
  - ▶ E.g., first deadline first (works if schedulable)
- ▶ **Linux is finally slightly moving from priority scheduling to deadline scheduling**

# Multiprocessor scheduling issues

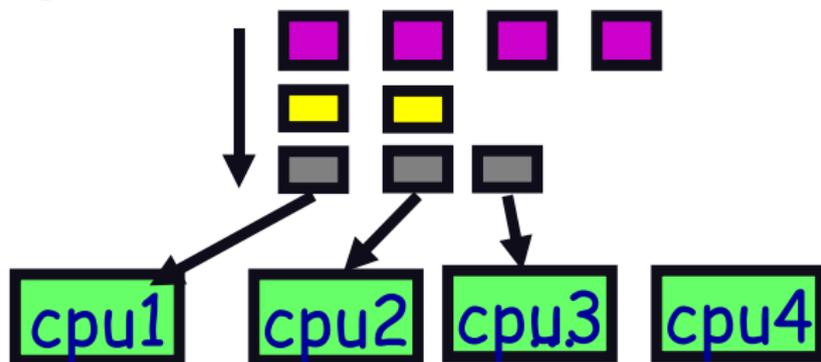
- ▶ **Must decide on more than which processes to run**
  - ▶ Must decide on which CPU to run which process
- ▶ **Moving between CPUs has costs**
  - ▶ More cache misses, depending on arch more TLB misses too
- ▶ **Affinity scheduling**—try to keep threads on same CPU



- ▶ But also prevent load imbalances
- ▶ Do *cost-benefit* analysis when deciding to migrate

## Multiprocessor scheduling (cont)

- ▶ **Want related processes scheduled together**
  - ▶ Good if threads access same resources (e.g., cached files)
  - ▶ Even more important if threads communicate often, otherwise must context switch to communicate
- ▶ **Gang scheduling—schedule all CPUs synchronously**
  - ▶ With synchronized quanta, easier to schedule related processes/threads together



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Recap

# CPU Scheduling Recap

## ▶ **Goal: High throughput**

- ▶ Minimize context switches to avoid wasting CPU, TLB misses, cache misses, even page faults.

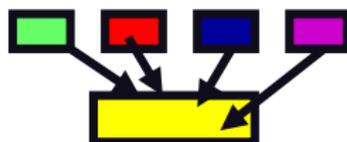
## ▶ **Goal: Low latency**

- ▶ People typing at editors want fast response
- ▶ Network services can be latency-bound, not CPU-bound

## ▶ **Algorithms**

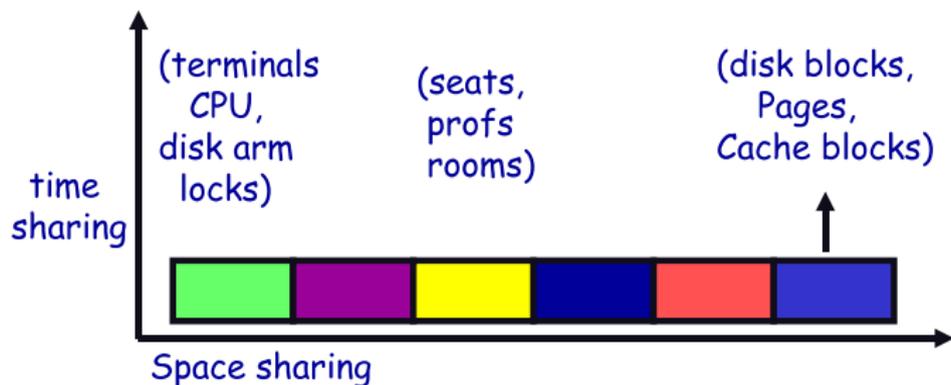
- ▶ Round-robin
- ▶ Priority scheduling
- ▶ Shortest process next (if you can estimate it)
- ▶ Fair-Share Schedule (try to be fair at level of users, not processes)
- ▶ Fancy combinations of the above

# The universality of scheduling



- ▶ **General problem: Let  $m$  requests share  $n$  resources**
  - ▶ Always same issues: fairness, prioritizing, optimization
- ▶ **Disk arm: which read/write request to do next?**
  - ▶ Optimal: close requests = faster
  - ▶ Fair: don't starve far requests
- ▶ **Memory scheduling: whom to take page from?**
  - ▶ Optimal: past=future? take from least-recently-used
  - ▶ Fair: equal share of memory
- ▶ **Printer: what job to print?**
  - ▶ People = fairness paramount: uses FIFO rather than SJF
  - ▶ Use "admission control" to combat long jobs

# How to allocate resources



- ▶ **Space sharing (sometimes): split up. When to stop?**
- ▶ **Time-sharing (always): how long do you give out piece?**
  - ▶ Pre-emptable (CPU, memory) vs. non-preemptable (locks, files, terminals)

# Postscript

- ▶ **In principle, scheduling decisions can be arbitrary & shouldn't affect program's results**
  - ▶ Good, since rare that “the best” schedule can be calculated
- ▶ **In practice, schedule does affect correctness**
  - ▶ Soft real time (e.g., mpeg or other multimedia) common
  - ▶ Or after 10s of seconds, users will give up on web server
- ▶ **Unfortunately, algorithms strongly affect system throughput, turnaround time, and response time**
- ▶ **The best schemes are adaptive. To do absolutely best we'd have to predict the future.**
  - ▶ Most current algorithms tend to give the highest priority to the processes that need the least CPU time
  - ▶ Scheduling has gotten increasingly *ad hoc* over the years. 1960s papers very math heavy, now mostly “tweak and see”